

SI Worksheet

2/3/22

Agenda:

Worksheet (see how long worksheet is)

1. Conversion Questions

a. Convert 6,789 ft to miles. 1 mi=5280 ft

$$6,789 \text{ ft} \times \frac{1 \text{ mi}}{5280 \text{ ft}} = 1.3 \text{ mi}$$

✓

b. Convert 218.9 lbs to kilograms (kg). 1 kg=2.2 lbs

$$218.9 \text{ lbs} \times \frac{1 \text{ kg}}{2.2 \text{ lbs}} = 99.5 \text{ kg}$$

c. Convert 40 inches (in) to nanometers (nm). 2.54 cm= 1 in

$$40 \text{ in} \times \frac{2.54 \text{ cm}}{1 \text{ in}} \times \frac{1 \times 10^{-2} \text{ m}}{1 \text{ cm}} \times \frac{1 \text{ nm}}{1 \times 10^{-9} \text{ m}} = 1.016 \times 10^9 \text{ nm}$$

d. A child is prescribed a dosage of 12 mg of a certain drug per day and is allowed to refill his prescription twice. If there are 60 tablets in a prescription, and each tablet has 4 mg, how many doses are in the 3 prescriptions (original + 2 refills)?

$$\begin{aligned} 3 \text{ prescriptions} &= 3 \text{ presc} \times \frac{60 \text{ tablets}}{1 \text{ presc}} \times \frac{1 \text{ mg}}{1 \text{ tablet}} \times \frac{1 \text{ dosage}}{12 \text{ mg}} \quad \text{This cancels all unwanted units} \\ &= \frac{3 \times 60 \times 1 \times 1}{1 \times 1 \times 12} \text{ or } \frac{720}{12} \text{ dosages} \quad \text{Which reduces to} \\ &= 60 \text{ daily dosages} \quad \text{Solution} \end{aligned}$$

✓

$$3 \text{ prescription} \times \frac{60 \text{ tablets}}{1 \text{ prescription}} \times \frac{4 \text{ mg}}{1 \text{ tablet}} \times \frac{1 \text{ dosage}}{12 \text{ mg}} = \frac{720}{12} = 60 \text{ dosages}$$

$$D = \frac{m}{V}$$

2. Density

- a. The solution in lab has a density of 11.3 g/mL. If the volume of the solution is 5.897 mL, what is the mass of the solution?

$$d = 11.3 \text{ g/mL}$$

$$V = 5.897 \text{ mL}$$

$$m = ?$$

$$(V) d = \frac{m}{V} (V)$$

$$m = dV$$

$$= (11.3 \text{ g/mL}) (5.897 \text{ mL})$$

$$= 66.6 \text{ g}$$

- b. A student found a rock. It was determined that the rock was coal. Since coal has a density of 1.4 g/cm³, and was weighed to be 3.77 grams, what is the volume of the piece of coal?

$$d = 1.4 \text{ g/cm}^3 = 1.4 \text{ g/mL}$$

$$m = 3.77 \text{ g}$$

$$V = ?$$

$$(V) d = \frac{m}{V} (V)$$

$$\frac{V d}{d} = \frac{m}{d}$$

$$V = \frac{m}{d}$$

$$V = \frac{3.77 \text{ g}}{1.4 \text{ g/mL}}$$

$$= 2.7 \text{ mL}$$

- c. A piece of wood that measures 3.1 cm by 6.98 cm by 4.7 cm has a mass of 82.30 grams. What is the density of the wood? Would the piece of wood float in water ($d = 1.00 \text{ g/mL}$)? $V = L \times W \times H$

$$V = (3.1 \text{ cm}) \times (6.98 \text{ cm}) \times (4.7 \text{ cm})$$

$$= 101.7 \text{ cm}^3 = 101.7 \text{ mL}$$

$$V = 101.7 \text{ mL}$$

$$m = 82.30 \text{ g}$$

$$d = ?$$

$$d = \frac{82.30 \text{ g}}{101.7 \text{ mL}}$$

$$d = 0.809 \text{ g/mL}$$

Yes, the piece of wood would float in water because $0.809 \text{ g/mL} < 1.00 \text{ g/mL}$ (density of water)

- d. A little aluminum boat (mass of 14.50 g) has a volume of 450.00 cm³. The boat is placed in a small pool of water and carefully filled with pennies. If each penny has a mass of 2.50 g, how many pennies can be added to the boat before it sinks? (Tricky, let me know if you have questions)

$$m_{\text{boat}} = 14.50 \text{ g}$$

$$V_{\text{boat}} = 450.00 \text{ cm}^3 = 450.00 \text{ mL}$$

$$m_{\text{penny}} = 2.50 \text{ g}$$

$$d_{\text{boat}} = \frac{14.50 \text{ g}}{450.00 \text{ mL}} = 0.032 \text{ g/mL}$$

so what mass does boat need for $d = 1.00 \text{ g/mL}$?

$$1.00 \text{ g/mL} = \frac{m}{450.00 \text{ mL}} = 450.00 \text{ g}$$

less dense than water

→ the boat will sink when

density = 1.00 g/mL

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we know mass of boat needs to be 450.0g, so how much more grams for the boat to have a mass of 450.0g?

$$450.0g - 14.50 = 435.5g$$

each penny ~~weighs~~ has a mass of 2.50g

$$\cancel{200} \frac{435.5g}{2.50g} = 174 \text{ pennies}$$

3. Significant Figures

a. How many significant figures is in 0.987? **3**

a. ~~b.~~ How many significant figures is in 0.980000? **6 (trailing zeros are significant)**

a. ~~c.~~ How many significant figures in 0.5908? **4 ("0" between non-zero numbers are significant)**

a. ~~d.~~ How many significant figures in ~~149.670~~ 1490.670? **7**

b. ~~e.~~ $2.34 + 5.6 = ?$ Write the answer with right amount of significant figures

7.94

Correct sig figs: 7.9 (When adding or subtracting look at the value with the fewest DECIMAL places)

c. ~~f.~~ $5.098 / 1.94 = ?$ Write the answer with right amount of significant figures

2.6278

Correct sig figs: 2.63 (When multiplying or dividing look at the value with the fewest SIG FIGS)

PENDAS

d. ~~g.~~ $20.657 \div 2.86 \times 6.90 - 1.08 = ?$ Write the answer with right number of significant figures.

$$\frac{20.657}{2.86} = 7.22 \text{ (fewest sig figs)}$$

$$7.22 \times 6.90 = 49.8 \text{ (fewest sig figs)}$$

$$49.8 - 1.08 = 48.7 \text{ (fewest decimal places)}$$

$$e. (30.45 - 7.69 \times 3.40) / (5.349 + 9.857 \times 6.45)$$

DEMDAS

First focus on numerator:
 $(30.45 - 7.69 \times 3.40)$

Denominator
 $(5.349 + 9.857 \times 6.45)$

$$(30.45 - 26.1)$$

$$5.349 + 63.6$$

$$4.4$$

$$68.9$$

$$\frac{4.4}{68.9} = 0.064$$

(fewest sig figs)

4. Precise or Accurate

- a. Susan conducts an experiment five times and gets a solution concentration of 1.9M, 2.1M, 1.8M, 1.9M, and 2.2M. The known concentration of the solution is 2.0M. Are Susan's results accurate, precise or both? (**Both accurate and precise**)

- b. Martin is conducting an experiment. His first test gives him a yield of 5.2 grams. His second test gives him a yield of 1.3 grams. His third test gives him a yield of 8.5 grams. On average, his yield is 5.0 grams, which is close to the known yield of 5.1 grams of substance. Which of the following are true? (**accurate, but not precise**)

- c. Jared is practicing for a golf tournament. His normal driver distance is 250 yards. He hits three balls with his driver, and they travel a distance of 190 yards, 195 yards, and 187 yards. Which of the following is true? (**precise, but not accurate**)